

Class 4

**Modification and
Events**

Modifiers in syntax

Modifier = constituent that doesn't change syntactic category of its sister.

happy – adjective (phrase)

very happy – adjective phrase (AP)

→ *very* is an AP modifier

women – noun (phrase)

tall women – noun phrase (NP)

→ *tall* is an NP modifier (adnominal) **More examples?**

ran quickly – verb phrase (VP) modifier (adverb, adverbial)

very quickly – (also) adverb modifier **Further?**

men in the kitchen, men who knit, men and/or women,

almost every man

Semantics: Modifier Functions

Modifier function = a function of type aa .

happy – et

very happy – et

very – $(et)(et)$

→ *very* denotes a modifier function

women – et

tall women – et

tall – $(et)(et)$

every man – $(et)t$

almost every man – $(et)t$

almost – $((et)t)((et)t)$

Alternatively:

every – $(et)((et)t)$

almost every – $(et)((et)t)$

almost – $((et)((et)t))((et)((et)t))$

Syntax-Semantics

Hypothesis:

All modifiers in syntax denote modifier functions.

[

In categorial grammar:

Type(N)=et Type(N→N)=(et)(et)

Type(NP)=(et)t Type(NP→NP)=((et)t)((et)t)

In general:

Type(X→X) = (Type(X))(Type(X))

]

But what denotations should modifier functions have?

Intersective adnominal modifiers

[[fast cars]] = **car** \cap **fast**

[[houses in England]] = **house** \cap **in_England**

[[houses where I lived]] =

house \cap { $x \in E : \text{live_in}(I, x)$ }

A function F of type $(et)(et)$ is an **intersective modifier** if there is a set of entities B s.t. for every function g_{et} characterizing a set A , the et function $F(g)$ characterizes the set $A \cap B$.

Adverbials – similarity to adnominals

	Adnominals	Adverbials
Adjectives/ Adverbs	<i><u>fast</u> cars</i>	<i>ate <u>fast</u></i>
Preposition Phrases	<i>houses <u>in England</u></i>	<i>ate <u>in England</u></i>
Relative Clauses	<i>houses <u>where I lived</u></i>	<i>ate <u>where I lived</u></i>

Question: Can we treat adverbials as intersective modifiers?

Common answer:

- Surely not as (et)(et) modifiers.
- But we can treat them as intersective (e(et))(e(et)) modifiers, using the notion of **events**.

Intersective entailments with adjectives

Attributive/predicative alternation:

Mary is a Dutch woman \leftrightarrow

Mary is Dutch and Mary is a woman

Permutation:

Mary is a Dutch pregnant woman \leftrightarrow

Mary is a pregnant Dutch woman

Replacement of noun:

Jan is a Dutch surgeon & Jan is a violinist

\rightarrow *Jan is a Dutch violinist*

These entailments are all explained by the treatment of *Dutch* as an (et)(et) intersective modifier.

Intersective entailments with adverbials?

Attributive/predicative alternation (?):

Mary dug under the castle / quickly ←??→

Mary dug and Mary was under the castle / quick

Permutation (yes!):

Mary dug quickly under the castle ↔

Mary dug under the castle quickly

Replacement of verb (no!):

Jan ran quickly / in the park & *Jan ate*

=/=> Jan ate quickly / in the park

Conclusion: it's hard to treat adverbials as intersective (et)(et) modifiers.

Approaches to adverbial modifiers

1. **Montague:** Non-intersective modifiers!
2. **Davidson:** Intersective modifiers of covert argument positions.

Davidson's insight



Davidson, D. (1967). The logical form of action sentences. In N. Rescher (Ed.), *The Logic of Decision and Action* (pp. 81-96). University of Pittsburgh Press.

Donald Davidson
(1917-2003)

Mary dug quickly under the castle

= $\exists \mathbf{e}. dig(\mathbf{m}, \mathbf{e}) \wedge quick(\mathbf{e}) \wedge under_the_castle(\mathbf{e})$

- Using events, we can treat verb modification as involving conjunction, similar to intersective modification of nouns.

Davidson's event argument

A verbal predicate has a covert semantic argument, just like nouns do

Noun denotations:

cat: *e* no syntactic argument corresponds to *e*

Intransitive Verb denotations (Montague):

sing: *e* subject argument corresponds to *e*

Intransitive Verb denotations (Davidson):

sing: *e*(*e*) subject argument corresponds to *e*
no syntactic argument corresponds to *e*
this *e* is the “event” argument!

Questions for Davidson

1- How to think of the denotation of verbs?

sing: et = the set of singers

sing: $e(et)$ = the binary relation between
singers and singing events

$[[\text{sing}]](x)(y) = 1$ iff x sings in the event y

2- How to think of the denotation of adverbs?

Intersective modifiers of the event argument!

3- How do we modify the event argument?

Adjectives with relational nouns

beautiful:

predicative $\llbracket \textit{beautiful} \rrbracket = B \subseteq E$

attributive $\llbracket \textit{beautiful} \rrbracket = \textbf{beautiful} : \wp(E) \rightarrow \wp(E)$

For every set $X \subseteq E$:

$$\textbf{beautiful}(X) = B \cap X$$

beautiful girl:

$$\llbracket \textit{beautiful girl} \rrbracket = \textbf{beautiful}(G) = B \cap G$$

'girl' =
Unary relation

beautiful friend of Mary:

$$\llbracket \textit{friend} \rrbracket = \textbf{friend} : E \rightarrow \wp(E)$$

$$\llbracket \textit{of Mary} \rrbracket = \mathbf{m} \in E$$

$$\llbracket \textit{friend of Mary} \rrbracket = \textbf{friend}(\mathbf{m}) \subseteq E$$

$$\llbracket \textit{beautiful friend of Mary} \rrbracket = B \cap \textbf{friend}(\mathbf{m}) \subseteq E$$

'friend' =
Binary relation

Adverbs with verbs

beautiful friend of Mary:

$[[friend]] = \mathbf{friend} : E \rightarrow \wp(E)$

$[[of\ Mary]] = \mathbf{m} \in E$

$[[friend\ of\ Mary]] = \mathbf{friend}(\mathbf{m}) \subseteq E$

$[[beautiful\ friend\ of\ Mary]] = B \cap \mathbf{friend}(\mathbf{m}) \subseteq E$

*'friend' =
Binary relation*

Mary sang beautifully:

$[[sang]] = \mathbf{sing} : E \rightarrow \wp(E)$

$[[Mary]] = \mathbf{m} \in E$

$[[Mary\ sang]] = \mathbf{sing}(\mathbf{m}) \subseteq E$

$[[Mary\ sang\ beautifully]] = B \cap \mathbf{sing}(\mathbf{m}) \subseteq E$
= “the beautiful events in which Mary sang”

*'sang' =
Intrans. verb =
Binary relation*

Intersective adverbials formally

Let M be a modifier function of type $(e(et))(e(et))$.

→ M sends any binary relation over entities R to binary relation over entities $M(R)$.

We say that M is “intersective on an argument \mathbf{a} ” if modification is based on intersection with some set of entities X with that argument.

Formally: M is *a2-intersective* if there is a set of entities X such that for every binary relation over entities R –

$$M(R) = \{ \langle x,y \rangle \mid y \in X \ \& \ \langle x,y \rangle \in R \}$$

Intersective adverbials in lambda's

$$\mathbf{M}_{(e(et))(e(et))}^X = \lambda R_{e(et)}. \lambda x_e. \lambda y_e. X(y) \wedge R(x)(y)$$

Example: *Mary sang beautifully*

$$\mathbf{beautifully}_{(e(et))(e(et))} = \lambda R_{e(et)}. \lambda x_e. \lambda y_e. \mathbf{B}(y) \wedge R(x)(y)$$

[[*sang beautifully*]]

= **beautifully(sing)**

= $\lambda x_e. \lambda y_e. \mathbf{B}(y) \wedge \mathbf{S}(x)(y)$

[[*Mary sang beautifully*]]

= (**beautifully(sing)**)(**m**)

= $\lambda y_e. \mathbf{B}(y) \wedge \mathbf{S}(\mathbf{m})(y)$

= “the beautiful events in which Mary sang”

Questions for Davidson (cont.)

4- How does a sentence with a Davidsonian verb denotation get its truth value?

Existential closure: Any set of events Y can be mapped to the truth-value $\exists x. Y(x)$.

$\llbracket \textit{Mary sang beautifully} \rrbracket$
= $(\text{beautifully}(\text{sing}))(\mathbf{m})$
= $\lambda y_e. \mathbf{B}(y) \wedge \mathbf{S}(\mathbf{m})(y)$
= “the beautiful events in which Mary sang”

After existential closure

$\llbracket \textit{Mary sang beautifully} \rrbracket$
= $\exists y_e. \mathbf{B}(y) \wedge \mathbf{S}(\mathbf{m})(y)$
= “there is a beautiful event in which Mary sang”

Entailments with adverbials (1)

Permutation:

John sang beautifully in the shower \leftrightarrow
John sang in the shower beautifully

Replacement of verb (no!):

Jan ran quickly / in the park & Jan ate
 $\neq \Rightarrow$ *Jan ate quickly / in the park*

Entailments with adverbials (2)

Attributive/predicative alternation (?):

John sang beautifully ←??→

John sang and John was beautiful

But note(!):

John sang beautifully ↔

John sang and John's singing was beautiful

Oh- John's singing is the mysterious event...

Event nominals

**singing = the set of events in which
someone sang**

Formally:

$$[[\textit{sang}]] = S \subseteq E^2$$

$$[[\textit{singing}]] = \{ x : \exists y. S(y)(x) \} \subseteq E$$

This accounts for entailments like:

John sang → There was a singing (event)

Or more naturally:

John destroyed the city

→ There was a destruction (of the city) (by John)

Radical “Neo-Davidsonian” approach

Jones buttered the toast in the bathroom with the knife at midnight.

Davidsonian event-based proposition:

$\exists e$ [BUTTER (jones, the toast, e) & IN (e, the bathroom) & INSTR (e, the knife) & AT (e, midnight)]

Neo-Davidsonian approach – radical interpretation:

- Verbs denote one-place predicates over events (type *et*). No room for thematic argument slots in verbal denotations!
- The thematic argument slots are generated by syntax.

$\exists e$ [BUTTER (e) & AGENT (e, jones) & PATIENT (e, the toast) & IN (e, the bathroom) & INSTR (e, the knife) & AT (e, midnight)]

No distinction between adjuncts and complements in semantics!

Moderate “Neo-Davidsonian” approach

Decompositional Davidsonian entries:

to close: $\lambda y \lambda x \lambda e$ [CLOSE (e) & AGENT (e, x) & THEME (e, y)]

to close: $\lambda y \lambda x \lambda e$ [AGENT (e, x) & THEME (e, y) & $\exists e'$ [CAUSE (e, e') & THEME (e', y) & $\exists s$ [BECOME (e', s) & CLOSED (s) & THEME (s, y)]]]

An advantage of the radical view

Unaccusatives vs. Passives:

John fell $\neq \Rightarrow$ Something felled John

John was felled \Rightarrow Something felled John

The door closed $\neq \Rightarrow$ Something closed the door

The door was closed \Rightarrow Something closed the door

Carlson:

CLOSE = predicate characterizing the set of events in which something fell

[[*close*-UNACC]] =

$\lambda x.\lambda e.CLOSE(e) \wedge theme(e, x)$

[[*close*-PASS]] =

$\lambda x.\lambda e.CLOSE(e) \wedge theme(e, x) \wedge \exists y.agent(e, y)$

A disadvantage of the radical view

Dowty:

- Any event of *selling* is an event of *buying*.
- Thus, corresponding sets of events satisfy
 $SELL = BUY$.
- How can we reconstruct the right argument structure with thematic arguments for active transitive verbs like *sell* and *buy*?

Note:

X sells Y to Z \leftrightarrow Z buys Y from X

Reason to doubt the radical view.

Further reading

General Overview

Claudia Maienborn, Event semantics, in Claudia Maienborn, Klaus von Stechow & Paul Portner (eds.), *Semantics. An international handbook of natural language meaning*; Volume 1. (HSK Handbook series), Berlin, New York: Mouton de Gruyter.

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Radical Neo-Davidsonian approach

Carlson, G. (1984). Thematic Roles and their Role in Semantic Interpretation. *Linguistics* 22, pp. 259-279.

<http://citeseerx.ist.psu.edu/viewdoc/download?doi=10.1.1.189.2471&rep=rep1&type=pdf>

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Yoad Winter and Joost Zwarts. Event semantics and Abstract Categorical Grammar. In Makoto Kanazawa and others, editors, *Proceedings of Mathematics of Language, MOL12, Lecture Notes in Artificial Intelligence, LNAI*, pp. 174–191, Springer-Verlag, Berlin, 2011.

<http://www.phil.uu.nl/~yoad/papers/WinterZwartsEventSemantics.pdf>